

Reception Addition

Combining / re-combining / partitioning

Relate addition to combining 2 groups of objects and then 3 groups of objects by counting all.

E.g. Count out 4 cakes, count out 3 cakes. How many altogether? Count all cakes.



$7 + 3 = 10$ $3 + 7 = 10$
 $10 = 7 + 3$ $7 + 3 = 10$

ANY ORDER

Counting on

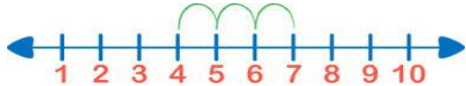
From understanding conservation of number lead on to counting on (seen and unseen).

E.g. Count 5 objects into a cloth bag. How many objects in the bag? Count 2 more objects into the bag. How many objects in the bag now? 'Five add two makes 7' $5 + 2 = 7$

Number lines

Teachers demonstrate use of a number line, then children use number lines to support their own calculations.

$4 + 3 = 7$



Doubles and Commutative law

Relate understanding of counting on to 2 groups of equal size - doubles



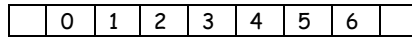
$5 + 5 = 10$ Double 5 is 10
 $10 - 5 = 5$ Half of 10 is 5

Learn to record

Reception Subtraction

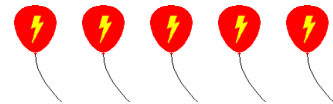
Counting back on fingers, orally, number lines.

Written number tracks to record and physical moves on large number track eg, from 5, jump back 3 to 2



Practical demonstrations of taking away

We had 5 balloons, we lost 2.

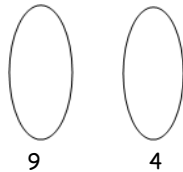


'Five take away two is three'.

$5 - 3 = 2$ (modelled by T)

Know that the number gets smaller, because objects have been removed from the set.

Find the difference Count on or back, horizontally or vertically, eg. $9 - 4 = 5$



Use the language of fewer than.

Using known number facts

$6 + ? = 10$ $4 + ? = 10$
 $10 - ? = 4$ $10 - ? = 6$

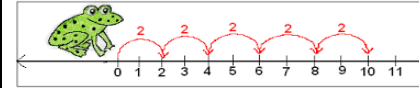


Reception Multiplication

Pictures, symbols and objects



Jumping along number lines in jumps of 1, 2, 5, 10



Repeated addition

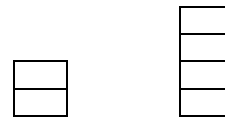
eg $2 + 2 + 2$ or 3 lots/groups/sets of 2
 2×3 (2 three times)

(2 multiplied by 3) (3 groups of 2)
 Children represent practically and pictorially using verbal/ written description



Doubling and halving

Use the bricks to make a tower double the height of this one



6 pairs of socks are washed. How many socks altogether?

Grouping a random arrangement of a quantity of objects into equal groups.

Arrays a rectangular arrangement to show equal groups.



Show that X is commutative, use pegboards or numicon.

Reception Division

Sharing Put 6 ladybirds on 2 leaves so that each leaf has the same number of ladybirds. ($6 \div 2 = 3$) 6 ladybirds shared between 2 leaves.



Grouping

(repeated subtraction of equal groups)

There are 6 sweets. How many children can have 2 each?



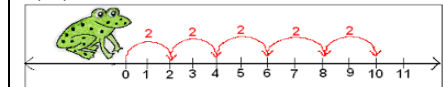
3 children

How many cars can you make if you have 8 wheels?



Children represent practically and pictorially using verbal/ written description

Counting back on number lines in jumps of 1, 2, 5, 10



Sharing equally and halving

Eq fruit at snack time

Year One Addition

+ = signs and missing numbers

$3 + 4 = \square \quad \square = 3 + 4$

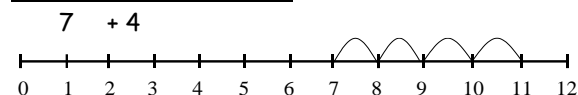
$3 + \square = 7 \quad 7 = \square + 4$

$\square + 4 = 7 \quad 7 = 3 + \square$

$\square + \nabla = 7 \quad 7 = \square + \nabla$

= SIGN can be in a different place within a calculation. It means 'the same as'.

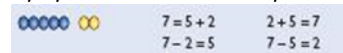
Number lines (numbered)



Recording by - drawing forward jumps on prepared lines, - constructing own lines (Teacher model number lines with missing numbers, Teacher model jottings appropriate for larger numbers) Teacher model number sentence recording too.

Fact Families

2, 5, 7 $2 + 5 = 7$, $5 + 2 = 7$, $7 - 5 = 2$, $7 - 2 = 5$.



Using Useful facts

Looking for facts or bonds that are useful, e.g. bonds up to and including 10, doubles or adding 10 to a given number.

Number bonds

$6 + 3 + 4 = 13$

$6 + \underline{3} + 4 + \underline{7} + 2 = 22$

Compensation

$5 + 9 =$

$5 + 10 - 1$ (draw on a number line)

Doubles

$5 + 6 =$

$5 + 5 + 1 = 11$

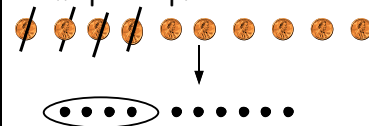
Adding 2 2 digit numbers

Adding 3 numbers together

Year One Subtraction

Pictures / marks

Sam spent 4p. What was his change from 10p?



- = signs and missing numbers

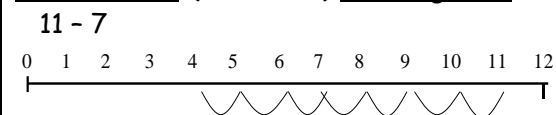
$7 - 3 = \square \quad \square = 7 - 3$

$7 - \square = 4 \quad 4 = \square - 3$

$\square - 3 = 4 \quad 4 = 7 - \square$

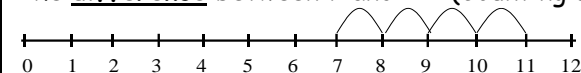
$\square - \nabla = 4 \quad 4 = \square - \nabla$

Number lines (numbered) Counting back



WHEN using a number line, begin to consider breaking numbers up when they bridge a 10 or a 5, eg $15 - 8 = (15 - 3 - 5 =)$

The difference between 7 and 11 (Counting up)



Recording by - drawing jumps on prepared lines, - constructing own lines (Teachers model jottings appropriate for larger numbers). Teacher model number sentence recording too.

Patterns

Use patterns to find answers to subtractions, e.g

$10 + 4 = 10 - 4 = 20 + 4 = 20 - 4 =$

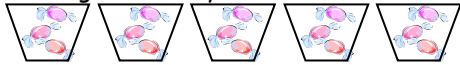
(Fact Families) Use subtraction as the inverse to check + calculations.

Subtracting 2 2 digit numbers

Year One Multiplication

Pictures and symbols

There are 3 sweets in one bag. How many sweets are there in 5 bags?



(Recording on a number line as REPEATED ADDITION modelled by the teacher when solving problems)

EXPERIMENT with grouping an amount in different ways.

5 added together 3 times **TIMES TABLES LINK**

5 5 5

0 1 2 3 4 5 6 7 8 9 10 11 12 13

is $5 + 5 + 5$ or
 3 groups of 5 or
 3 times 5 or
 5×3 (or 3×5) or
 5 multiplied by 3



1 group of 3

2 groups of 3

Use of bead strings to model groups of.

ARRAYS Before introducing the symbol "x", give children experience of arrays so that they know that it doesn't matter which order the symbols are in the NUMERICAL value is the same (commonality). **NUMICON**

$4 \times 2 = 8$

$2 \times 4 = 8$

Year One Division

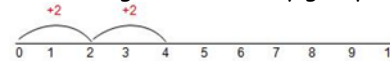
Pictures / marks

12 children get into teams of 4 to play a game. How many teams are there?

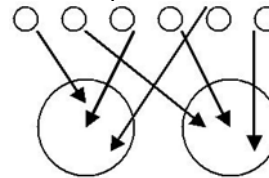


$12 \div 4 =$

If I have got 4, how many groups of 2 have I got?



There are 6 cakes and 2 children. How many cakes will they each get?
 'One for you and one for you'.



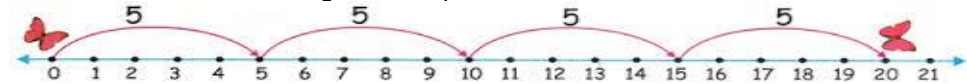
Use pictorial notation and then, move on to formal recording with ÷

REMAINDERS

Problems...

5 hops in 15. How big is each hop? (Use a number line). (EQUAL jumps)

There are 20 sweets in a bag, how many children can have 5 each?



Record on a number line as REPEATED SUBTRACTION).

How many groups of 5 are there in 20?

Year Two Addition

+ = signs and missing numbers

Continue using a range of equations as in Year 1 but with appropriate, larger numbers.

Extend to

$$14 + 5 = 10 + \square$$

and adding three numbers

$$32 + \square + \square = 100 \quad 35 = 1 + \square + 5$$

Partition into tens and ones and recombine

Record partitioned steps in number sentences underneath each other and add mentally.

$$12 + 23 = 10 + 2 + 20 + 3$$

$$= 30 + 5$$

$$= 35$$

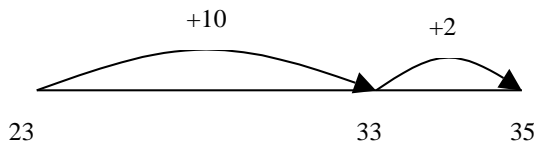
Introduce column addition without crossing the boundary.

Refine to partitioning the second number only:

$$23 + 12 = 23 + 10 + 2$$

$$= 33 + 2$$

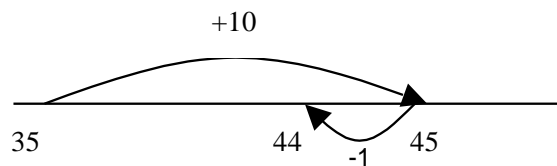
$$= 35$$



Bridge 10 whenever possible.

Add 9 or 11 by adding 10 and adjusting by 1

$$35 + 9 = 44$$



Use of near doubles.

$$13 + 14 = _ \quad \text{Double } 14 = 28 \dots 28 - 1 = 27$$

$$\text{Or double } 13 = 26 \dots 26 + 1 = 27$$

Year Two Subtraction

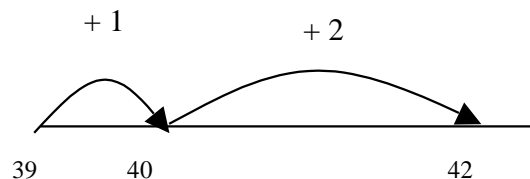
- = signs and missing numbers

Continue using a range of equations as in Year 1 but with appropriate numbers.

Extend to $14 + 5 = 20 - \square$

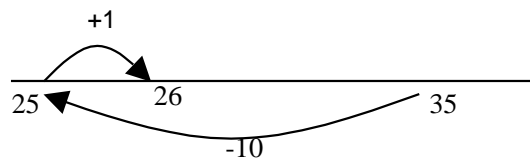
Find a small difference by counting up

$$42 - 39 = 3$$



Subtract 9 or 11. Begin to add/subtract 19 or 21

$$35 - 9 = 26$$

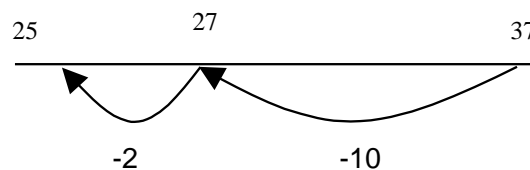


Use known number facts and place value to subtract (partition second number only strategy)

$$37 - 12 = 37 - 10 - 2$$

$$= 27 - 2$$

$$= 25$$



This can work alongside dienes, numicon, 100 squares or bead strings as a resource, to see the partitioning in a different way.



1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

Year Two Multiplication

\times = signs and missing numbers

$$7 \times 2 = \square \quad \square = 2 \times 7 \quad \square \times 2 = 14 \quad 14 = 2 \times \square$$

$$\square \times \nabla = 14 \quad 14 = \square \times \nabla \quad 7 \times \square = 14 \quad 14 = \square \times 7$$

Pictorial multiplication:

E.g. - $3 \times 3 = 9$

Arrays:

$2 \times 3 = 6$

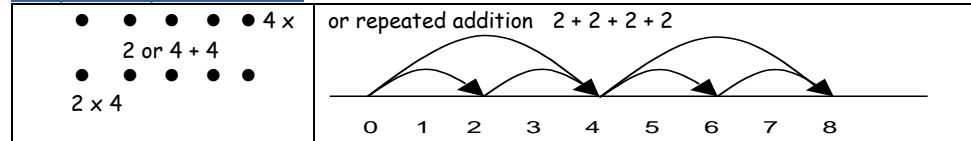
$3 \times 2 = 6$

Partition:

$$15 \times 2 = \quad 10 \times 2 = 20 \quad 5 \times 2 = 10 \quad 20 + 10 = 30$$

$$\begin{array}{r} \times 10 \quad 5 \\ 2 \quad 20 \quad 10 \end{array} \quad 15 \times 2 = 30$$

Arrays and repeated addition



Partition $15 \times 2 = 30$

$$\begin{array}{r} \text{OR} \\ \times \quad 10 \quad 5 \\ 2 \quad \hline 20 \quad 10 \end{array}$$

15×2

$20 + 10 = 30$

*Understand $5 \times 8 = 8 \times 5$

*Understand $16 \div 2$ does not equal $2 \div 16$

*Understand: that digits of a number shift one place to the left to multiply by 10 - don't teach "just add a nought!"

*Use knowledge of doubles and halves to multiply/divide

*Say or write division statement corresponding to a given multiplication statement

Year Two Division

\div = signs and missing numbers

$$6 \div 2 = \square \quad \square = 6 \div 2$$

$$6 \div \square = 3 \quad 3 = 6 \div \square$$

$$\square \div 2 = 3 \quad 3 = \square \div 2$$

$$\square \div \nabla = 3 \quad 3 = \square \div \nabla$$

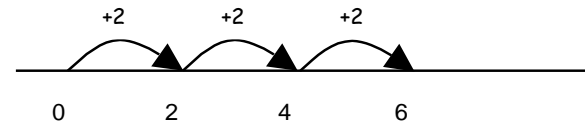
Understand division as sharing and grouping

Sharing - 6 sweets are shared between 2 people. How many do they have each?



$6 \div 2$ can be modelled as:

Grouping - There are 6 sweets. How many people can have 2 each? (How many 2's make 6?)
(repeated addition)



Use of practical resources to give concrete experience, eg



*Understand that dividing by 2 is the same as halving.